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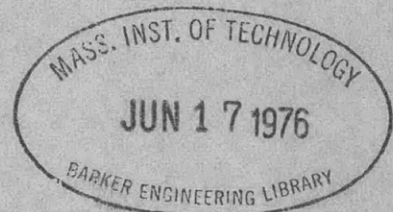
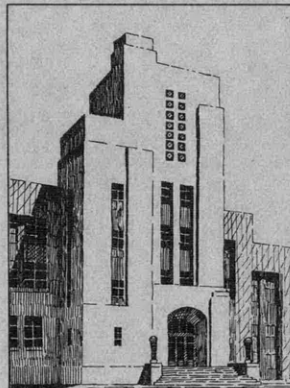
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# THE DAVID W. TAYLOR MODEL BASIN

UNITED STATES NAVY

## TORQUE ON A NON-ROTATING PROPELLER MOVING AXIALLY THROUGH WATER

BY DR. K. E. SCHOENHERR, W. H. BOWERS  
AND A. Q. AQUINO



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REPORT 513

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NAVY DEPARTMENT  
DAVID TAYLOR MODEL BASIN  
WASHINGTON, D. C.

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## TORQUE ON A NON-ROTATING PROPELLER MOVING AXIALLY THROUGH WATER

### ABSTRACT

Data for estimating the torque exerted on a non-rotating propeller moving through the water in a direction parallel to the shaft axis have been assembled from the results of tests on models of various ships and have been evaluated. The data are presented in both tabular and graphical form. Formulas are given for estimating locked torque, which are believed to be accurate within plus or minus five per cent, and which utilize only such data as are conveniently available to the designer.

### INTRODUCTION

It is frequently required to know the torque exerted on a non-rotating propeller which is moving at steady speed parallel to its shaft axis. Data of this nature are required for estimating the holding torque which must be allowed for when a vessel is launched with propellers in place or for determining the torque exerted on the turning gear of an idle shaft when a multiple-screw vessel is proceeding with other shafts driving.

The purpose of this report is to present in readily usable form data on locked torque derived from self-propelled tests on models of various types of ships and from tests on model propellers run in the 12-inch variable pressure water tunnel at the David W. Taylor Model Basin.

### DESCRIPTION OF THE TESTS

For the self-propulsion tests, standard 20-foot self-propelled models were used. These models were towed by the carriage at various speeds ahead while the self-propulsion dynamometers were set to turn the propellers slowly, first in the ahead direction and then in the astern direction. The torque was measured in the usual manner and was plotted against propeller RPM for each model speed. From this plot the holding torque at zero RPM was obtained by interpolation.

The tests in the water tunnel were conducted in a similar manner, by causing the propellers to move slowly ahead and astern, while the water in the test jet was moving past them.

### PRESENTATION OF DATA

The data derived from the self-propulsion tests are shown in Table 1 and the corresponding data derived from the water-tunnel tests on the same propellers are shown in Table 2. Other data, derived from water-tunnel tests on miscellaneous propellers of standard type are given in Figure 1, page 4.

The principal dimensions of the ships and propellers for which the locked torque were determined are shown in Table 1. In Column 13 of this table the measured torque is given in pound-feet for the ship; in Column 15 it is expressed in terms of a coefficient  $K_Q$ .

TABLE 1

Values of Locked Torque Obtained from Tests on Various Models

Model	Type of Ship	Model Prop.	Length feet	Beam feet	Draft feet	Displ. tons	Diam. feet $D$	Pitch feet $P$	Developed Area sq. ft. $HA$	Ship Speed knots $V$	Wake Fraction $w$	Locked Torque lb.-ft. $Q_0$	Slip Ratio	Locked Torque Coeff. $K_{Q_0}$
1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
3629	Lake Cargo Vessel	1999	650	70	24	26,050	17.33	12.67	118.3	8 14	0.398 0.397	17,670 54,150	0.412 0.440	0.1304 0.1297
3632	Merchant Tanker	2163	500	68	29.94	21,900	19.5	17.5	138.1	7 10 16	0.355 0.351 0.323	23,800 56,000 130,000	0.350 0.350 0.365	0.1519 0.1725 0.1441
3420	Destroyer	1847 and 1848	341.3	35.9	12.39	2204	11.25	12.5	74.92	8.5 14.5 17.5 23.0	0.000 0.013 0.020 0.002	34,625 89,250 136,000 210,000	0.125 0.125 0.130 0.164	0.2022 0.1811 0.1615 0.1658
3625	Destroyer	2047A and 2048A	369	38.5	12.95	2700	11.375	12.229	76.78	16 20 25 31	0.062 0.056 0.032 0.002	90,000 145,000 229,000 350,000	0.170 0.172 0.192 0.215	0.1604 0.1635 0.1580 0.1467
3735	USMC P2-SE2-R1	2286 and 2287	590	75.5	28.97	22,380	18.25	19.071	125.7	15 20.7	0.120 0.120	194,000 374,000	0.190 0.204	0.1703 0.1721
3740	Escort Vessel	2324 and 2325	300	35.5	10.3	1600	8.50	7.583	28.41	12 19 24	0.043 0.027 0.012	12,000 29,800 46,700	0.175 0.184 0.225	0.1322 0.1267 0.1206
$K_{Q_0} = \frac{Q_0}{D(HA)[v(1-w)]^2}$										$HA$ is the developed area in square feet $v$ is the ship speed ahead in feet per second $w$ is the wake fraction				

The  $K_{Q_0}$  coefficient is the ratio of the locked torque divided by the product of the propeller diameter, the developed area of the propeller, and the square of the speed of advance; it is non-dimensional. However, like numerous similar non-dimensional coefficients used in Mechanics,  $K_{Q_0}$  is not constant but varies with several propeller characteristics, as will be discussed in a subsequent paragraph.

The torque data obtained in the variable pressure water tunnel on the same propellers as used in the self-propelled tests were also expressed in terms of  $K_{Q_0}$ , as shown in Column 7 of Table 2. Comparison of the corresponding coefficients in Tables 1 and 2 shows that the data from the self-propelled tests and from the water-tunnel tests are of the same order and are on the whole consistent, considering that the tests in the water tunnel were made without benefit of the ship form ahead of the propeller.

The test data derived from the water-tunnel tests on miscellaneous propellers were expressed as the ratio of the holding torque to the torque value in the



normal ahead condition. Since the latter is a function of the slip, these torque ratios were plotted against slip as shown in Figure 1.

TABLE 2

Values of Locked Torque Obtained from Tests on Various Propeller Models in the 12-inch Water Tunnel

## DISCUSSION OF THE RESULTS

As shown in Tables 1 and 2, the vessels and propellers investigated varied greatly in type, size, and speed. The locked-torque values also varied within wide limits, but these variations diminished greatly when the locked-torque data were expressed in the form of dimensionless coefficients.

From theoretical considerations,  $K_{Q_0}$  may be expected to vary with the propeller pitch, the number of blades, the blade outline, the position of the propeller blades with respect to the hull and stern-post of the ship, and perhaps other factors. Of these, the pitch has probably the greatest influence.

For this reason, the coefficients calculated in Table 1 were plotted against pitch ratio; the results are shown in Figure 2. The spots in this figure are still somewhat scattered, because of other factors not taken into consideration, but they lie within two parallel straight lines whose equations are

$$\text{Upper line, } K_{Q_0} = 0.19 P/D$$

$$\text{Lower line, } K_{Q_0} = 0.13 P/D$$

The equation of the mean line is

$$K_{Q_0} = 0.16 P/D$$

Introducing the mean value for  $K_{Q_0}$  in the basic relation, it follows from the preceding discussion that the locked torque for a propeller on any normal vessel when going ahead may be determined within an accuracy of plus or minus 10 per cent by the formula

$$\text{Locked Torque } Q_0 = 0.16 P(HA)[v(1-w)]^2 \quad [1]$$

Towing Model	Type of Ship	Model Prop.	Ship Speed knots $V$	Wake Fraction $w$	Locked Torque lb.-ft. $Q_0$	Locked Torque Coeff. $K_{Q_0}$
1	2	3	4	5	6	7
3629	Lake Cargo Vessel	1999	8 14	0.398 0.397	20,000 60,000	0.1485 0.1445
3420	Destroyer	1847 and 1848	8.5 14.5 17.5 23.0	0.000 0.013 0.020 0.002	28,700 83,600 120,300 215,000	0.1652 0.1704 0.1706 0.1700
3735	USMC P2-SE2	2286 and 2287	15 20.7	0.120 0.120	155,000 289,000	0.1358 0.1344
3740	Escort Vessel	2324 and 2325	12 19 24	0.043 0.027 0.012	12,950 31,400 54,400	0.1430 0.1332 0.1405
$K_{Q_0} = \frac{Q_0}{D(HA)[v(1-w)]^2}$ <p><math>HA</math> is the developed area in square feet  <math>v</math> is the ship speed ahead in feet per second  <math>w</math> is the wake fraction</p>						

where

$P$  is the propeller pitch in feet

$HA$  is the developed area of the propeller in square feet

$v$  is the ship speed in feet per second

$w$  is the wake fraction.

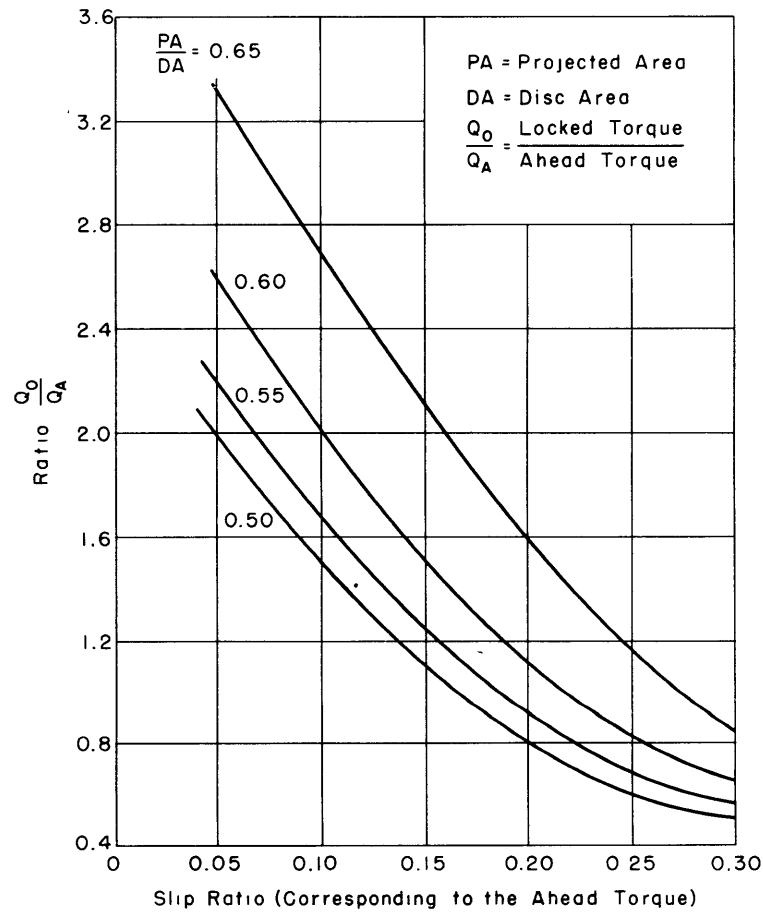


Figure 1 - Preliminary Faired Curves Giving Ratio of

$$\frac{\text{Locked Torque}}{\text{Ahead Torque}} = \frac{Q_A}{Q_0}$$

In all cases  $Q_A$  and  $Q_0$  refer to torques at the same speed of advance.

An alternative expression for locked torque which interprets the experimental data with an accuracy of plus or minus 5 per cent is

$$K_{Q_0} = 0.233 P/D [v(1-w)]^{-\frac{1}{8}} \quad [2]$$

or

$$\text{Locked Torque } Q_0 = 0.233 P(HA)[v(1-w)]^{1.875} \quad [3]$$

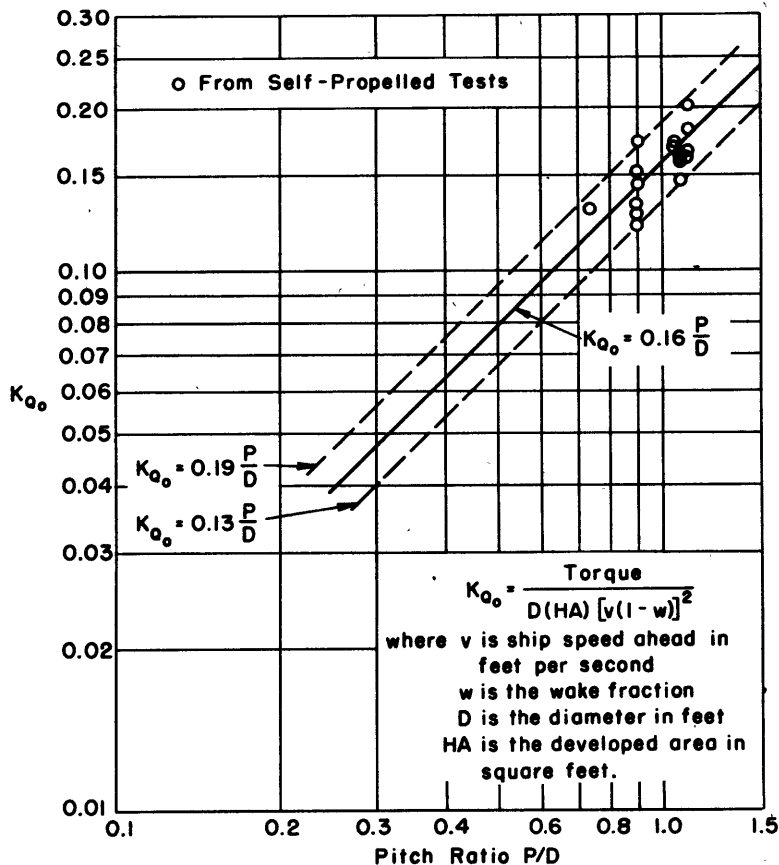


Figure 2 - Locked-Torque Coefficient Plotted against Pitch Ratio

It will be noted that Formulas [1], [2], and [3] contain only terms that are available to the designer or that may be readily estimated. Moreover, since the coefficients in these formulas were derived from tests on models of ships differing as widely as a Great Lakes ore carrier and a fast destroyer, the formulas may be expected to give results accurate within the limits stated, when applied to all ships of normal type.

When the full-power-ahead torque and the true slip are known for a propeller-vessel combination for which the locked torque is to be estimated, the data presented in Figure 1 may be used instead of the formulas just given. By entering the plot with the slip ratio as abscissa, the ratio of locked torque to ahead torque is read from the proper curve or is interpolated between the curves, whence the locked torque may be calculated directly.

Table 3 shows how the values of locked torque compare, first, as determined experimentally, second, as calculated by Formulas [1] and [3], and third, as calculated from Figure 1.

The agreement among Columns 4, 5, 6, 7, and 8 of Table 3, while not exact, is close enough for most engineering calculations.

TABLE 3

Comparison of Locked-Torque Values Determined Experimentally and by Formulas

Model	Type of Ship	Ship Speed knots	Experimental		Results Using Figure 1	Values from Formula [1]	Values from Formula [3]
			Self-Propelled Model Test	Water Tunnel Test			
1	2	3	4	5	6	7	8
3629	Lake Cargo Vessel	8	17,670	20,000	Outside Accurate Extrapolation	15,900	17,750
		14	54,150	60,000		48,800	50,750
3632	Merchant Tanker	7	23,800		25,800	22,500	25,400
		10	56,000		50,900	46,700	50,000
		16	130,000		149,000	129,600	131,000
3420	Destroyer	8.5	34,625	28,700	27,500	30,500	32,260
		14.5	89,250	83,600	84,500	87,600	85,750
		17.5	136,000	120,300	117,500	125,800	120,200
		23.0	210,000	215,000	200,000	225,200	207,900
3625	Destroyer	16	90,000		73,000	96,600	98,500
		20	145,000		114,700	151,000	150,200
		25	229,000		190,500	250,900	229,600
		31	350,000		303,800	410,700	364,000
3735	USMC P2-SE2-R1	15	194,000	155,000	141,000	190,600	188,300
		20.7	374,000	289,000	253,000	363,300	344,200
3740	Escort Vessel	12	12,000	12,950	12,650	12,950	12,920
		19	29,800	31,400	32,650	33,550	31,780
		24	46,700	54,400	51,700	55,250	50,500
Formula [1]: $Q_0 = 0.16 P(HA)[v(1-w)]^2$					Formula [3]: $Q_0 = 0.233 P(HA)[v(1-w)]^{1.875}$		

## REFERENCES

(1) BuShips letter S44(3454) of 24 August 1942 to Director, David Taylor Model Basin.





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